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Béla Bollobás (University of Cambridge)  
David Conlon (University of Cambridge)  
Jackie Daykin (Royal Holloway, UoL)  
Tony Gardiner (University of Birmingham)  
Anthony Hilton (Queen Mary, UoL)  
Svante Janson (University of Uppsala, Sweden)  
Colin McDiarmid (University of Oxford)  
Robin Wilson (Open University)  
Douglas Woodall (University of Nottingham)



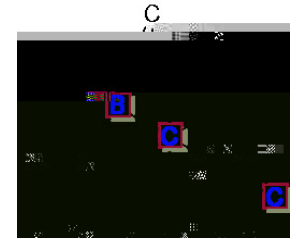
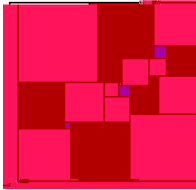
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There will be a drinks reception following the final talk on Thursday 17th.

Support for this event by the London Mathematical Society and the British Combinatorial Committee is gratefully acknowledged.

Please click on these links for [vkvngu"qh"vcnmu](#) and [uejgfwngu"cpf"nqecvkqp](#) information.



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Talks will be held in the Maths Lecture Theatre (MLT) and Room 103. These are in the School of Mathematical Sciences.

Coffee break - MLT  
- 103/ - MLT  
- 103/ - MLT  
Lunch (own arrangements - options on campus and nearby)  
- MLT  
- MLT  
Coffee break  
- MLT  
- MLT  
Dinner (own arrangements - curry enthusiasts might head for Brick Lane)

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Talks will be held in the New Theatre (E171), in the East Building. The entrance to the East Building is on Houghton Street.

Coffee break - E168

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Wednesday May 16th, Queen Mary

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BPMML

Anthony Hilton

Queen Mary University of London

## Degree bounded factorizations of graphs

For  $d \geq 2$  and  $s \geq 1$  a  $(d, d+s)$  graph is a graph whose degrees are in the interval  $\{d, d+1, \dots, d+s\}$ . For  $r \geq 1$  and  $d \geq 1$  an  $(r, r+d)$  factor of a graph  $G$  is a spanning  $(r, r+d)$  subgraph of  $G$ . An  $(r, r+d)$  factorization of a graph  $G$  is a decomposition of  $G$  into edge-disjoint  $(r, r+d)$  factors.

We discuss a number of results about  $(r, r+d)$  factorizations of  $(d, d+s)$  graphs. We emphasize the contrast between the good results known for simple graphs and pseudo graphs, the latter with loops permitted and the latter less satisfactory results known for multigraphs with loops.

As an example of the results for  $t$

## Some new results in Ramsey Theory

Ramsey's theorem states that given two natural numbers  $k$  and  $l$  there exists a number  $n$  such that in any complete graph on  $n$  vertices with two colours (red and blue) there must contain either a red  $K_k$  or a blue  $K_l$ . This constant is called the Ramsey number  $r(k, l)$ .

## String factorization algorithms

A string is a finite sequence of symbols over an arbitrary alphabet and a factorization is a partition of a string into a set  $W$  of strings such that every string has a unique maximal factorization over  $W$ . A class of factorizations is a set of Lyndon words defined as non-exceeding order  $n$ .

In this presentation optimal Lyndon factorization algorithms will be outlined for both the sequential and  $C/C++$  AM paradigms. The sequential algorithm can be implemented with a sparse array but the parallel algorithm requires a suffix tree data structure. We will describe character string combinatorial properties of a class of factorizations and then construct a suffix tree to illustrate with additional examples of a class of factorizations where each string is derived from a set of total order  $n$  sets. We will include the word class of factorizations derived from total order  $n$  strings over arbitrary alphabets.

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**Tony Gardiner**

University of Bristol

**Combinatorics for the common man**

A characteristic of our modern society over the years has been the ready availability of ideas accessible to tens of thousands of mathematicians and computer science students. A few use specific examples to explore the question of how combinatorial ideas are used and what they should be introduced earlier than as traditionally been the case in England.

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BB ML

**Béla Bollobás**

University of Cambridge University of Memphis

**Problems, conjectures and results on the two-dimensional square lattice**

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ML

**Douglas Woodall**

University of Nottingham

**Recent results on graph colourings**

More precisely, the book is written for mathematicians and computer scientists at all levels.



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Svante Janson

University ofppsala

## Two sorting problems and the maximum number of runs in a randomly evolving sequence

The study of the space requirements of a sorting algorithm were only tested at the end when adjacent are kept to get the sequence equivalent to the following combinatorial problem. Consider a string of  $n$  elements that starts as a string of  $n$  bits and then evolves by changing each bit to what it can be done in random order. Let  $s_n$  be the maximum number of runs of  $n$  bits.

We have asymptotic results for the distribution and mean. It turns out that for any problem involving a maximum, the maximum is asymptotically normal with fluctuations of order  $n^{1/2}$  and to the first order we are approximated by the number of runs at the instance when the expectation is maximized. In this case when the elements have changed to there is a second order term of order  $n^{1/3}$ .

We also treat some variations including a sorting problem.

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ML

Colin McDiarmid

University of Oxford

## Random graphs on surfaces

There have been dramatic successes recently with two related problems counting labelled planar graphs and random labelled planar graphs. We start the process and extend our investigations to graph embeddings on any fixed surface  $S$ . In particular we see that the labelled graph embeddings on  $S$  have the same growth constant as planar graphs and the same order of unlabelled graphs. As a consequence we prove that  $\log n$  is the order of the number of unlabelled graphs on  $S$ .

Thursday May 17th, LSE

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Dominic Welsh

University of Oxford

## Counting problems in minor closed classes of graphs

Let  $\mathcal{H}$  be a finite collection of graphs.  $\text{Ex}(\mathcal{H})$  denotes the class of graphs  $G$  such that  $G$  does not contain any member of  $\mathcal{H}$  as a minor.

The class contains exactly two graphs,  $\mathcal{H} = \{K_5, K_{3,3}\}$  so that  $\text{Ex}(\mathcal{H})$  is the



**Derek Smith**

University of Georgia

## From distance-transitive graphs to spectrum efficiency

This work is a continuation of the work of Smith and others, focusing on distance-transitive graphs and also on coloring problems in graphs. In the past, Smith applied some of the ideas arising in graph theory to distance-transitive graphs to coding theory. In the past, Smith developed an interest in the application of algebraic structures and theory to graph coloring and frequency assignment.

In this talk, some of the early work will be outlined. It will also be shown how the same inspired more recent work in radio spectrum efficiency. This work includes

radio frequency assignment treated as a generalized graph coloring problem.

The approach to radio frequency assignment when multiple interference must be considered.

The construction of constant weight codes and their assignment in networks using frequency assignment.

The construction of codes for code division multiple access systems and the potential for code assignment.

The relevance of partitions of certain codes into Hadamard matrices to the security of certain code division multiple access systems.

The talk will conclude with a discussion of the current state of the art in frequency assignment. However, the author would like to show how interest in combinatorial problems arise in work on spectrum efficiency.

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