

Large-Scale Structures in Random Graphs Workshop 2016

Dates: 12 - 16 December 2016

Venue: The Alan Turing Institute, headquartered at the British Library

Organisers: Peter Allen, Julia Böttcher, Jozef Skokan and Rebecca Lumb (all Department of Mathematics, LSE)

Event Support: the Heilbronn Institute for Mathematical Research, The Alan Turing Institute and the Department of Mathematics, LSE

Public Lectures - 13 December 2016 (morning)

This event was free to attend but pre-registration was required via our Eventbrite page.

For any queries email Rebecca Lumb at r.c.lumb@lse.ac.uk or call 020 7955 7494.

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Directions: On the day please enter through the main entrance of The British Library and make your way to The Alan Turing Institute, which is located on the first floor.

10.00 - Refreshments and networking

10.30 - Rob Morris (IMPA): The sharp threshold for making squares

Many of the fastest known algorithms for factoring large integers rely on finding subsequences of randomly generated sequences of integers whose product is a perfect square. Motivated by this, at the 1994 ICM Pomerance posed the problem of determining the threshold of the event that a random sequence of n integers, each chosen uniformly from the set $\{1, 2, \dots, n\}$, contains a subsequence, the product of whose elements is a perfect square. In 1996, Pomerance gave good bounds on this threshold and also conjectured that it is $\frac{1}{2}$.

techniques from number theory and probabilistic combinatorics. In particular, at the heart of the proof lies a self-correcting random process of non-uniform hypergraphs.

Joint work with Paul Balister and Béla Bollobás.

This lecture was broadcast live at bit.ly/TuringLive

11.40 - Stefanie Gerke (RHUL): Matchings in random bipartite graphs

We consider a bipartite graph with two sets of vertices, each of size n . Each vertex in the left set is connected to r vertices in the right set, and vice versa. We study the asymptotic behavior of the number of perfect matchings in such a graph as n tends to infinity.